## Title of talk :

On a face of the polytope of doubly stochastic matrices

## Abstract :

We consider a face of the polytope of doubly stochastic matrices, whose nonzero entries coincide with that of

$$
V_{l, m, n}=\left(\begin{array}{ccc}
0_{l, l} & 0_{l, m} & J_{l, n} \\
0_{m, l} & I_{m} & J_{m, n} \\
J_{n, l} & J_{n, m} & J_{n, n}
\end{array}\right) .
$$

Here $0_{r, s}$ is the $r \times s$ zero matrix, $J_{u, v}$ denotes the $u \times v$ matrix all of whose entries are 1 and $I_{m}$ is the identity matrix of order $m$. We determine the minimum permanent and minimizing matrices on this face of the polytope of doubly stochastic matrices. This research contributes towards solution of two problems from Minc's well-known lists of unsolved problems on permanents.

